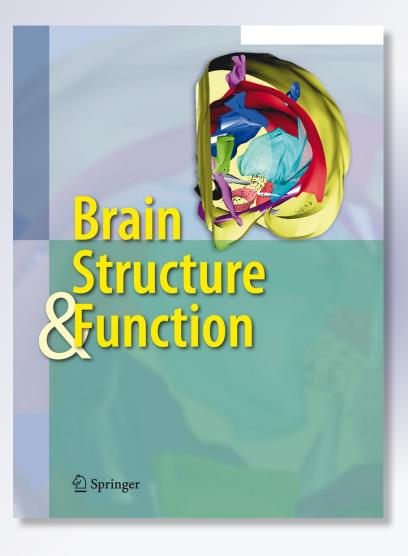
Hippocampal microRNA-132 mediates stress-inducible cognitive deficits through its acetylcholinesterase target

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Brain Structure and Function

ISSN 1863-2653

Brain Struct Funct DOI 10.1007/s00429-011-0376-z





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Hippocampal microRNA-132 mediates stress-inducible cognitive deficits through its acetylcholinesterase target

G. Shaltiel · M. Hanan · Y. Wolf · S. Barbash · E. Kovalev · S. Shoham · H. Soreq

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Published online: 14 January 2012

Keywords A \mathcal{K} $\mathcal{K$

Introduction

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Results

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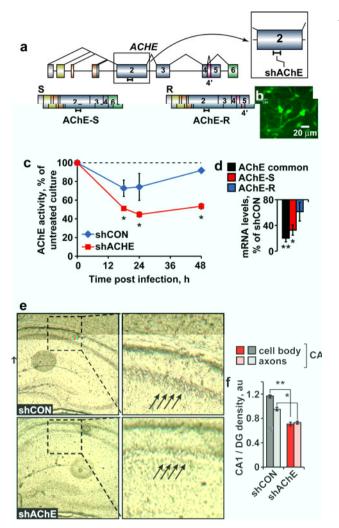


Fig. 3 ..., K_{1} m⁻¹ , K_{2} ..., K_{2} ..., m^{-1} m⁻¹ ..., K_{2} ..., m^{-1} m⁻¹ ..., K_{2} ...,

 $(t ..., p < 0.001 ..., p < 0.002, \mathcal{K}, \dots, \mathcal{K} = 1, 3,)$

 $\mathbf{A} = \{\mathbf{y}_1, \mathbf{\xi}_1, \dots, \mathbf{\xi}_{m}, \dots, \mathbf{\xi}_{m}, \dots, \mathbf{\xi}_{m}\}$

 $\mathbf{x}_{1}, \mathbf{x}_{2}, \dots, \mathbf{x}_{n}, \mathbf{x}_{1}, \mathbf{x}_{n}, \dots, \mathbf{x}_{n}, \mathbf{x}_{n}$

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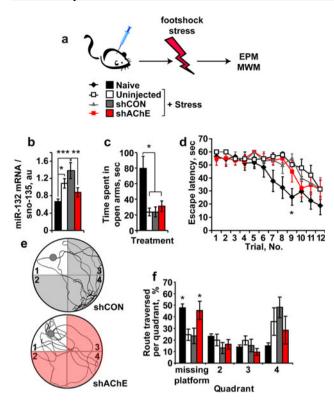
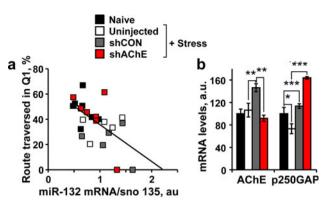
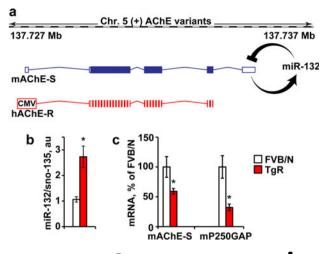


Fig. 4A \P , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f , f

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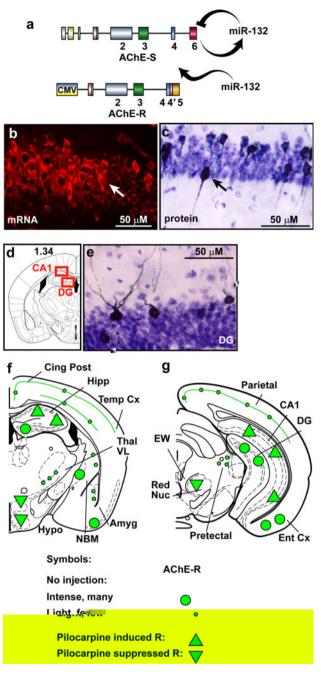


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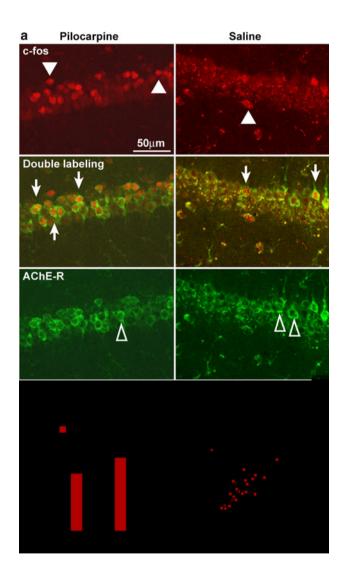


Fig. 8 f_{1} f_{2} f_{3} f_{4} f_{4}

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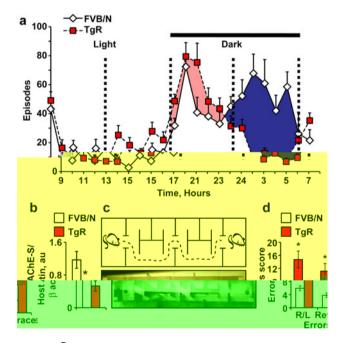


Fig. 9.1.7 m K_{1} m M_{1} K_{2} m K_{2} K_{1} m K_{2} K_{3} K_{4} m K_{4} K_{4}

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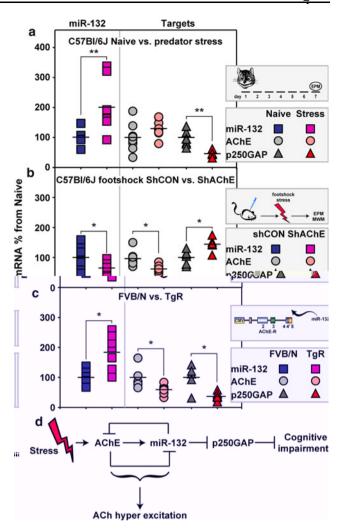


Fig. 10 f_{m} , $f_$

$$\begin{array}{c} 250 \mathbf{A} \\ \vdots \\ \mathbf{F} \\$$

Discussion

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Acknowledgments f_{1} , f_{2} , f_{3} , f_{4} , f_{5} , $f_{$

Conflict of interest \mathbf{x}_{1} , \mathbf{x}_{1} , \mathbf{x}_{1} , \mathbf{x}_{2} , \mathbf{x}_{2} , \mathbf{x}_{2} , \mathbf{x}_{3} , \mathbf{x}_{4} , \mathbf{x}_{4 . <u>. . . .</u> . .

References

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- $1 \dots \mathcal{K}\mathcal{F} \xrightarrow{\mathbf{S}} \mathcal{F}_{\mathbf{q}} = (2002) \mathcal{F}_{\mathbf{m}} \xrightarrow{\mathbf{m}} \mathbf{M} \xrightarrow{\mathbf{m}} \mathbf{m}^{(1)} \mathcal{F}_{\mathbf{m}} \xrightarrow{\mathbf{m}} \mathbf{M}$. **A** i , I **⊈** 1(1) 10¹¹¹6
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- $\begin{array}{c} \mathbf{m} & \cdots & \mathbf{0} \\ \mathbf{m} & \cdots & \mathbf{0} \\ \mathbf{n} & \mathbf{n} \\ \mathbf{n} & \mathbf{n} \\ \mathbf{n} & \mathbf{n} \\ \mathbf$
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- $\begin{array}{c} 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185 \\ 1/4 & 185$ 2390-08.2008
- $\begin{array}{c} 250-00.2003 \\ mn^{-1} & (2010) + \frac{1}{\sqrt{2}} \sum_{k=1}^{m} \sum_{i=1}^{m} \sum_$ m^{, f.}, , , <u>, f</u>

- $\mathbf{\hat{x}}_{i} = \mathbf{\hat{x}}_{i} + \mathbf{\hat{x}}_{i} +$ 1648
- **A A** (2009) **A B A** -132 **B** (316) **965 973** 4
- $\begin{array}{c} \begin{array}{c} & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\$
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